

Posso le possibilità di operare nella locazione di memoria fisica "dietro" l'ind. logico X del Proc A al processo B

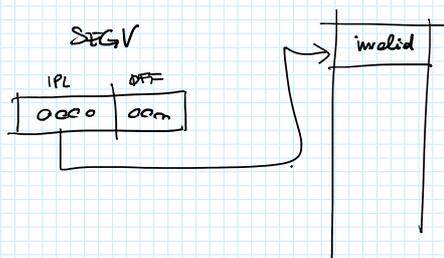
Se Proc B volere "rilasciare" la possibilità di usare la cella di cui è stato passato il riferimento

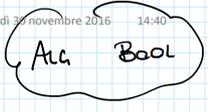
⇒ FREE --

(TABRIL termina a la pag 8)

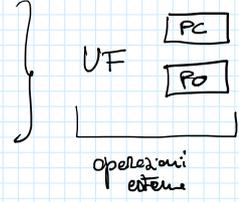
int *x;

f(*x)

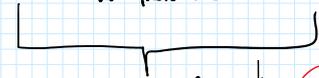
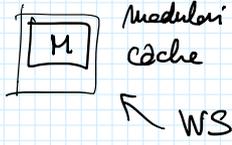




RETI COMB
RET SEQ
(REGISTRI)



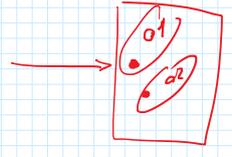
D-RISC (op "esterne")
↓
UF: "P"
Interprete fw



$$P = f(k, z, ta)$$

P pipeline

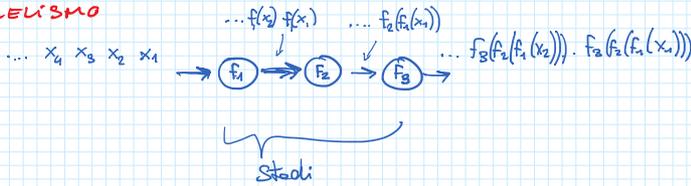
P espansione



Forme di PARALLELISMO

mercoledì 30 novembre 2016 14:51

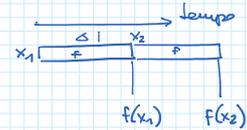
PIPELINE



Latenza (L) tempo per completare un calcolo da quando inizia a quando finisce

\forall stadi i avere una latenza L_i

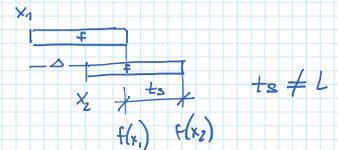
Tempo di servizio (T_s) tempo che intercorre fra l'inizio di due risultati successivi



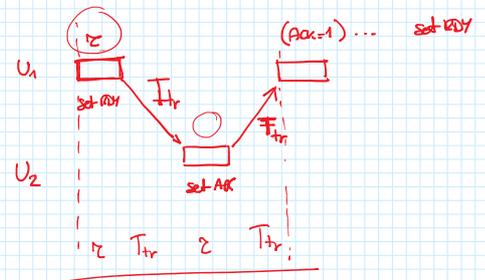
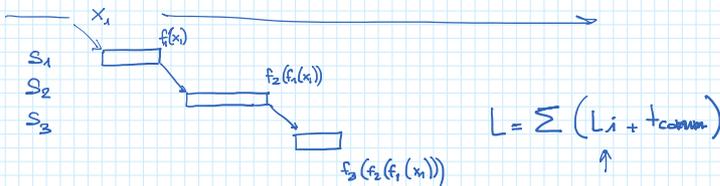
stadio i con $T_s = L$

$$L_{pipe} = \sum_{i=1}^{n \text{ stadi}} L_i$$

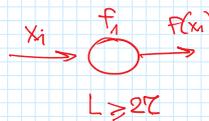
↑
è la latenza del singolo stadio



$t_s \neq L$

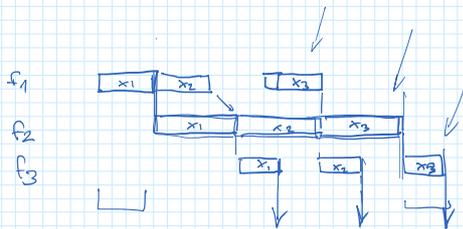


- f_i
- 1. $(RDY=0)$ map, ϕ
 - 2. $(RDY=1)$ 1
 - 1. 2
 - 2. $(ACK=0)$ map, 2
 - $(=1)$ set RDY, ϕ



$$t_{conn} = 2(\tau + T_{tr})$$

se $T_{tr} = \phi$
 se $L_i \geq 2\tau$
 $\Rightarrow t_{conn} = !\phi$



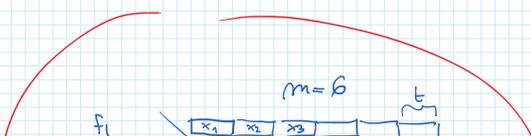
$$T_s = \max \{ T_{s_i} \}$$

T_c tempo di completamento \approx Latenza
 fra l'inizio di x_1 e la produzione di $f_3(f_2(f_1(x_m)))$
 ↑ ultimo tempo da calcolare

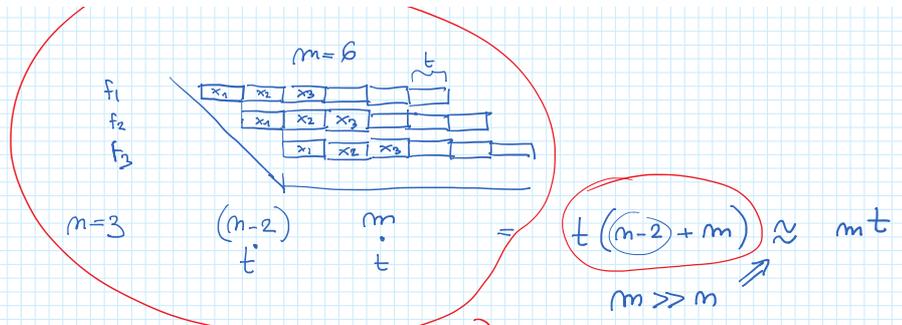
PIPELINE

$$T_c \approx (m) \cdot (T_s)$$

$(m \gg n)$
 ↑ numero degli stadi



↑ numero degli stadi



Ideale

$T_{seq} = m(s_b)$

$T_{id} = \frac{T_{seq}}{n}$

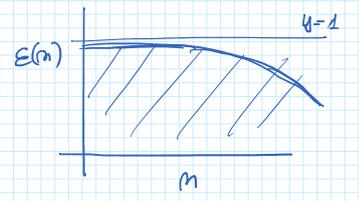
Efficienza

$\epsilon(m) = \frac{T_{id}(m)}{T(m)}$

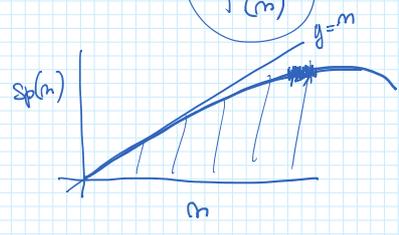
$\epsilon(m) = \frac{mt}{(m-2+m)t}$

$m \gg m$

$\epsilon = 1$



$Speedup(m) = \frac{T_{seq}}{T(m)}$



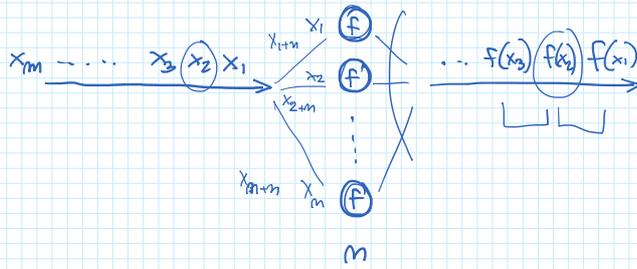
$T_{id} = \frac{T_{seq}}{m}$

$\epsilon(m) = \frac{T_{seq}}{m T(m)}$

$= \frac{T_{seq}}{m T(m)}$

$= \frac{Speedup(m)}{m}$

(Replicazione funzionale)



$$L = t_{sched} + t_f + t_{collezione}$$

$$T_S = \max \{ t_{sched}, \frac{t_f}{m}, t_{collezione} \}$$

t_f = tempo del calcolo di f
(in sequenziale)